6. For an electromagnetic wave in a good conducting medium, the following statement is true.

The power radiated through synchrotron radiation by a relativistically moving charge particle is

The radiation emitted by a relativistically moving point charge whose velocity is parallel to its

(b) Cosmic radiation

(d) Bremstrahlung radiation

(b) γ^4 (c) γ^2 (d) γ^3

(a) The magnetic field lags the electric field by 45⁰
(b) The electric field lags the magnetic field by 45⁰
(c) The magnetic field lags the electric field by 90⁰
(d) Both the electric and magnetic field lag by 45⁰

related to the particle's velocity factor y as

(a) γ^6

acceleration is called

(a) Synchrotron radiation

(c) Cherenkov radiation

a division avections	(7x2=14)
II Attempt any seven of the following short answer questions.	
1. Derive the continuity equation using the relevant waxword is equation.	
 Explain why metals are opaque. Define cut off frequency of a wave guide and give an expression for the cutoff w 	avelength of
3. Define cut off frequency of a wave guide and give an expression	
a rectangular wave guide. 4. Calculate the radiation pressure generated by an EM wave (wavelength =586n	m) of power
4. Calculate the radiation pressure generated by an 212	•
10W incident in an area of 2.5m ² . 5. What are the different zones of radiation field around an extended source of radiation field around are source of radiation field around an extended source of radiation field around are source of radiation field around an extended source of radiation field around are source of radiation field around are source of radiation field around an extended source of radiation field around are source of radiation field around are source of radiation field around an extended source of radiation field around are source o	ation?
5. What are the different zones of radiation field are significantly ∇t .	
6. Define retarded time and derive a close expression for ∇t_r .	
 Define related time and derivers. Draw the radiation pattern of Bremstrahlung and Synchrotron radiations. Derive an expression for the critical angle in the case of total internal reflection. 	
8. Derive an expression for the critical angle in the case of total	·
9. Explain the physical basis of the radiation reaction.	
III A Write the four Maxwell's equations in Matter and explain the physical meaning	of each of
HI A Write the four Maxwell's equations in Matter and explain the payores the equation. Further derive the boundary conditions satisfied by the E, B, D and	H fields at
the interface of two dielectric media. B Prove the Poynting's theorem in electrodynamics. Give its physical interpretation.	on. (6)
OR	aidance at the
B. Define reflection and transmission coefficient of a plane wave at normal in	(6)
interface of two dielectric media.	(*)
	through
IV A. Derive the dispersion relation in the case of electromagnetic wave propagating	(6)
a conducting medium. B. Obtain an expression for the electromagnetic stress tensor and show that the ph	ysical meaning
B. Obtain an expression for the electromagnetic sucess tensor and of divergence of Stress tensor is "force per unit volume".	(6)
for the same and show that the skin depth in	a good
B. Define skin depth. Obtain an expression for the same and she is distributed and conductor is $\lambda/2\pi$, where λ is the wavelength of the electromagnetic wave in the conductor.	uctor. (6)
Conductor is well as a series of the series	a with its cross
VA. Explain different types of guided waves. Consider a rectangular wave guided VA. Explain different types of guided waves, consider a rectangular wave guided waves.	ronagate in this
2 A am v 1 II cm What are the lowest modes of the	(6)
wave guide, if the driving frequency is 1.7 x10 ¹⁰ Hz.	components and
Title a Hortzian dinole anienna, compute the officers and	(6)
the time average power density radiated out by the antonia.	
B. Obtain a dispersion relation for Rayleigh's scattering and explain the blueness	s of sky. (6)
B. Obtain a dispersion relation for Rayleigh 8 southerns	
	(6)
VI A Derive the electromagnetic fields using Lienard-Wiechert potentials.	(6) (6)
B Derive Abraham- Lorentz formula.	(0)
	a relativisticall
B. Derive the generalized Larmor formula for the case of radiation emitted by	4 101411 10110411
B. Derive the generalized Lamor formula for the moving point charge particle [Hint: $\vec{E}_R = \frac{q}{4\pi\epsilon_0 r \xi^3} \hat{n} \times [(\hat{n} - \vec{\beta}) \times \dot{\beta}]$, when	$re \hat{n}$ is the un
vector along the propagation direction. Considering your own special case].	(6)
vector along the propagation direction.	
· w	

(7x2=14)