No. of Printed Pages: 2 [92] SEAT No. SARDAR PATEL UNIVERSITY M.Sc. (SEMESTER-II) EXAMINATION Monday, 22nd October, 2018 Time: 10:00 a.m. to 01:00 p.m. **CHEMISTRY: PS02CCHE21** (QUANTUM CHEMISTRY) Marks:-70 Time: - 3 hours $[h = 6.626 \times 10^{-34} \text{ J.S.}, 1J = 6.24 \times 10^{18} \text{ eV}, 1a.u. = 0.435 \times 10^{-17} \text{ J}]$ [8] Que-1. Answer the following. 1. The value of $(\partial/\partial x) \psi =$ (d) None of them (c) 0(b) - ψ (a) ψ 2. Which of the following indicates non-degenerate state? (d) E_{121} (b) E_{111} (c) E_{221} 3. In case of spring, Hooke's low is represented by the equation: (d) F = kx(b) K = -Xf(c) F = -kx= (a) K = Xf4. In transforming Cartesian coordinates into polar coordinates, Z = _ (c) rsino (d) rsine sine (a) rsing coso (b) rcoso 5. For large value of n, behaves like a Taylor series of expansion. (b) Laguerre Series (a) Recursion series (d) None of them (c) Power series 6. What is the nature of O₂ according to VBT? (d) Antiferromagnetic (c) Both a & b (b) Diamagnetic (a) Paramagnetic 7. α is spin Eigen function corresponding to $\lambda =$ (c) + 1/4(b) -1/2(a) + 1/2The symbol corresponds to Laplacian operator is (d) L^2 (c) L [14]

Que-2. Answer the following. [Any seven]

- (1) Explain the Schmidt orthogonalization process.
- (2) What are the applications of Quantum mechanical tunneling?
- (3) Show that $P_y = h/2\pi i \times \partial/\partial y$.
- (4) Derive the equation $T = L^2/2I$.
- (5) Determine L, S, J & term symbol arising out of coupling between an electron in p-orbital and another in d-orbital.
- (6) Find out the radial Eigen function for 1S system.
- (7) Derive the first order perturbation energy equation.
- (8) Give the complete wave function of N₂ & O₂ molecules.
- (9) Explain the bonding in HeH molecule on the basis of valence bond treatment.



(PTO.)

Que-3.	[A] Explain the Quantum mechanical tunneling in detail.	[6]
	[B] Explain the translational motion of free particle system.	[6]
	OR	
	[B] Answer the following.	[6]
	(i) Show that (Lx, Ly) is non commute and (L ² , Lx) is commute.	
	(ii) What is Quantization? Calculate energy gap for:	
	(a) An electron in a box of length 10 A°. (b) A particle of mass 0.1 gm in a box of	
	length 10 cm. Comment on quantization for both the cases.	
Que-4.	[A] Derive the Radial equation for large & small value of ρ.	[6]
	[B] Diatomic molecule CO rotates in free axis and fixed axis. Calculate first four energy	[6]
	levels and angular momentum. Also calculate absorption frequency and wavelength of	•
	light absorbed when transition take place from ground state to first excited state.	
	Intermolecular distance in CO is 1.2 x 10 ⁻¹⁰ m.	
	OR	
	[B] Answer the following.(i) Derive the Schrodinger equation and energy equation for the vibrational motion	[4] .
	of particle in one dimensional harmonic oscillator.	[7] ·
	(ii) Derive the forth degree of hermite's polynomial.	[2]
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Que-5.	[A] Define Dirac notation. Explain the time - independent perturbation theory for non degenerate state.	[6]
	[B] Derive the normalized wave function for many electron system.	[6]
•	OR	[م]
	[B] Answer the following.	[6]
	(i) Derive the equation $\overline{E} = a_1^2 E_1 + a_2^2 E_2$.	
	(ii) Prove that repulsion energy term is important, when we calculating total energy	
	and ionization energy of helium atom. Experimental values are -78.4 eV&	
	24.6 eV for calculating total energy and ionization energy respectively. Here	
	J = 1.25 a.u.	
Que. 6.	[A] Derive the electronic and nuclear Schrodinger equation using Born Oppenheimer	[6]
	approximation.	• •
	[B] Derive the term symbol for the following.	[6] '
	(i) H_2^+ (ii) N_2 (iii) O_2 (iv) H_2 (Excited)	
	OR	
	[B] Explain the molecular orbital theory for hydrogen molecule ion.	[6]

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