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Sardar Patel University External Examination

M.Sc. Statistics/M.Sc. Applied Statistics Semester II PS02CSTA22 /PS02CAST22:Linear Models and Regression Analysis March 20, 2019, Wednesday

Time: Q1.		a.m. to 01:00 p.m. iple Choice Questions.	March 20, 2019, W	eanesa:	·	Marks:70	08
1.	is performed after rejecting the null hypothesis of equality of several treatments effect						
	in ANOVA.						
2,	(a) (c)	Test of priori contra F-test	(1)	* **	t Hoc test elihood Ratio test		
21	In simple linear regression model, $Var(\hat{y}/x_0) = $						
	(a)	$\frac{\sigma^2}{n}$	(b)	$\sigma^2 \left(\frac{1}{n} + \frac{\bar{X}^2}{S} \right)$		
	(c)	$\sigma^2 \left(\frac{1}{n} + \frac{(x_0)^n}{n} \right)$	$\frac{-\bar{X})^2}{S_{xx}}$ (d))	$\sigma^{2} \left(\frac{1}{n} + \frac{\bar{X}^{2}}{S_{xx}} \right)$ $\sigma^{2} \left(\frac{1}{n} + \frac{(x_{0} - \bar{X})}{\sqrt{S_{xx}}} \right)$	$\left(\frac{1}{2}\right)^{2}$	
3.	In usual notation, which one of the following is true? $\sqrt{S_{xx}}$						
	(a)	$\underline{\lambda}' = \underline{u}'$	(b))	X = XH		
	(c)	$S = S_{I}$	H (d))	All of them		
4.							
	suggests that presence of						
5.	(a) (c) In usua	No Multicolinearity Severe Multicolinear al notation, the variance	(b) rity (d) e of linear function	Mod	Multicolinearity erate Multicolinearity vations belongs to er	ror space is	
6.	(a) (c) The alt	$\sigma_{ au}^2$ $\sigma_{ au}^2 + \sigma_{ au}^2$ ernative form of $\left(\Lambda \hat{eta} - \frac{\hat{eta}}{2} - \frac{\hat{eta}$	$ \begin{pmatrix} b \\ c \\ d \end{pmatrix}' \left(\Lambda \overline{S} \Lambda'\right)^{-1} \left(\Lambda \hat{\beta} - \frac{d}{d}\right)' \left(\Lambda \overline{S} \Lambda'\right)^{-1} \left(\Lambda \hat{\beta} - \frac{d}{d}\right) = 0 $	- d) is	σ_{ε}^2 None of them		
	(a) (c)	Condition $\sum_{i=1}^{n-r} \left(\underline{b}_i' \underline{y} \right)$	SSE (b)	•	<u>e'e</u> lition SSE – Uncondit	ional SSE	
7.	In context to full rank model, $\frac{(n-p)ssE}{\sigma_{\varepsilon}^2}$ is distributed as						
	(a) (c)	χ_{n-p}^2 χ_m^2	(b) (d)		χ^2_{n-r}		
8.	plot is used to study marginal relationship between the response variable and the						
	regressor when other regressors held constant						
	(a) (c)	Box plot Scatter plot	(b) (d)	Partia Norm	l regression plot al probability plot		
					-	CP.T.O)	

Q2. Short Answer Type Question (Any Seven) In usual notation, define experiment wise error rate (E) in terms of comparison wise error 1. rate (α). Further obtain the value of E when $\alpha = 0.05$. 2. Define Estimation Space and Error Space. 3. In usual notation, shows that $cov(\underline{\lambda}'\hat{\beta},\underline{b}'y) = 0$. 4. Define BLUE. Further give the name of method which will help to obtain BLUE of an estimable parametric function. Define relation between coefficient of Principal Component Regression (PCR) and 5. coefficient of multiple linear regressions. Further give application of PCR. Define leverage point. Further, state how to identify an influential point in data. 6. 7. Give the reasons of Multicolinearity. List the Goodness of fit criteria. Write brief on criteria which is used for both nested as well 8. as non nested model. 9. In usual notation, derive $E(MS_{Reg.})$. Explain linear statistical models discussed in literature with examples. Q3 (a) 06 In context to General Linear Model, discuss the Projection Operator. (b) 06 [OR] (b) In usual notation, derive the distribution of $\frac{\left(\Lambda \widehat{\underline{\beta}} - \underline{d}\right)' \left(\Lambda \widehat{\underline{S}} \Lambda'\right)^{-1} \left(\Lambda \widehat{\underline{\beta}} - \underline{d}\right)}{\sigma^2}$. 06 Q4 (a) Discuss Lack of Fit Test. 06 Explain conditional sum of squares due to errors in detail. (b) 06 [OR] In usual notation, state and prove any two necessary and sufficient conditions for (b) parametric function is to be estimable. Explain various residuals used to detect outlier in data. Q5(a)

06 Explain stepwise regression method. (b) 06 [OR]

Write Analysis of Covariance Model. Further derive its ANCOVA table. (b) 06 Define multicolinearity. List various methods to detect it. Further explain any three of 06 Q6(a) them. (b)

Explain step by step procedure to fitting multiple linear regression model.

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06

[OR]

Discuss the ridge regression. (b) 06

