	9	SEAT No		RO. Of Printed P	類の伝え、乙
. ′	••	SARDAR PAT	EL UNIVERSIT	Ύ	
		DO EVANGINA	riani (Somester	- 6)	ia *
ĵ. c	1/A20]	Monday 26	5 th March2018		
۲.	J (10.00 a m	to 01:00 p.m.		
			t: PHYSICS	grifisher of second was oddworthed to	
		Subjec	ICOCCOUVO1	्राहरू । जानका विकास विकास स्टब्स्ट्रेस सम्बद्धी संबद्धाना ।	
		Course: (JSUOCENIO.	n der geste der der eigen der des des der	. 1
		Title: Quan	tum Mechanics	ais og skalenska sinska Litteratur Total Ma	rks:70
			· Lucia de Aria de Caración de		vi
I.B:	(i) All the symbol	have their usual med	anings indicate full mai	rks is the silver Albert of the Mark	.*
	(ii) Figures at the	right side of question	ns maicute juii mai		. 1
	sa ta la Chaine	Questions (Attemp	nt All)	$(x_1, \dots, x_n) \in \mathcal{C}_{n+1} \times \mathcal{C}_{n+1}$	(10)
Ղ-1	Multiple Choice	normalized wave fur	ction must have _	norm	
	(1) The Non-r (a) Infini		(b) finite	e	
	(c) zero	t C	(d) com	plex	
	(2) For norm	alized wave functior	ı ψ→0 as r→		
	(a) 0	to the	(b) A		
	(-) 1		(d) 1		
	(3) The funct	ion representing ma	atter waves must b	e	. "
	(a) zero		(b) real (d) infir		
	(c) com	plex	(a) IIIII Stentii	al is	41
	(4) The limit	of a region-I for a so	a < a	x < \alpha	
	(a) −∝	< x < 0	(d) —∝	< x < -a	₹.,
	(5) For $E >$	0, the particle has a	(b) zer	0	-
	1 3 1 3 2 2	_1	(d) infi	nity	:
	(6) If there	exist only one eigen	function correspo	nding to a given eigen	
	value, th	nen the eigen value	ic called		
	(a) noi	n degenerate	(b) de	generate	
	(c) dis	crete	(d) col	ntinuum	
		operator A and a wa	ave function ψ_a ii	$A\phi_a=a\phi_a$ then α is	
	called _		(b) pr	obability density	1.
	/) -!-	gen function	(d) þr	obability amplitude	
	(c) eig	gen value	egration for Box n	ormalized momentum	i
	(8) The val	unction is			
	(a) 1	process to the process of the second	(b) ***1	1.12	
	(4)	$2\sqrt{L}$, we have \sim	(4) 1	VZIU SELELA ELA ELA ASSISSI I	
	(c) 1	$\sqrt[4]{\pi}$	(0)	$\sqrt{\sqrt{2\pi}}$, where $\sqrt{2\pi}$, we have $\sqrt{2\pi}$	
	(9) In a rig	$\sqrt{\pi}$ id rotator distance $\mathfrak l$	oetween two parti	cies is	
		onstant	(b) Z	ero	7
	(c) ir	ifinite	•	ariable	
		y of an isotropic osci	llator is	liscrete	
		ontinues	ė.	nscrete ່ານ	
	(c) 0		(d) <i>f</i>	i.	

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Q-2	Sho	ort Ouestions / Attenues and Tank	
Q Z	(1) (2)	ort Questions (Attempt any Ten) State the de Broglie hypothesis What you mean by $ \Psi ^2$	(20)
	(3) (4)	Write the admissible conditions on the wave functions What are the stationary states and energy spectra?	
	(5) (6)	What is square potential barrier? Write any two postulates of wave mechanics	
	(7)	Define self adjoint operator	
	(8) (9)	Define degenerate and non-degenerate eigen values What is observable? Also state expansion postulate	
	(10) (11)	Write down expression for ∇^2 in spherical polar coordinates Define central potential? Write down the Hamiltonian for a particle in a central potential	· j.
	(12)	What is isotropic oscillator? Write down expressions for its energy	
Q-3	(a) (b)	Derive the one dimensional Schrodinger equation for a free particle Discuss the concept of matter wave and show the experimental agreement for electron	05 05
		OR	
Q-3	(a)	Discuss the normalization and probability interpretation of a wave function	05
	(b)	Discuss Ehrenfest's theorem in detail	05∉
Q-4		Describe the motion of a particle in a square well potential for bound state $(E < 0)$ and find the admissible solutions OR	10
Q-4		Derive the expression of energy eigen values and energy eigen functions for a particle in a square well	10
Q-5	(a)	Derive eigen function in momentum space and normalized it by δ function normalization method	06
	(b)	Discuss the adjoint of operator with their properties OR	04
Q-5	(a)	State uncertainty principle and discuss it for quantum mechanical observables	06
	(b)	Write a detailed note on Dirac delta function	04
Q-6	(a)	What is angular momentum? Derive the expression of angular momentum operator L^2 in terms of spherical polar coordinates	06
	(b)	Derive the dimension less Schrodinger equation for simple harmonic oscillator	04
Չ-6	(5)	OR What is an instance of the Control of the Contro	
-		value	06
	(b)	Write note on rigid rotator	04
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